

# The Other Assignment For Problem Instances Esc 16b, Esc 16c And Esc 16h

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# The Other Assignment For Problem Instances Esc 16b, Esc 16c And Esc 16h

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## Abstract

The quadratic assignment problem (QAP) has remained one of the great challenges in combinatorial optimization. In this paper I propose two programs, the MATLAB program for solving QAP, and the MATLAB program for checking objective value, if we input an arbitrary permutation, matrix flow and matrix distance. The first program using combination methods that combines random point strategy, forward exchange strategy, and backward exchange strategy. I've tried my program to solve Esc 16b, Esc 16c and Esc 16h from QAPLIB (A Quadratic Assignment Problem Library). In the 500th iteration optimal value reached and I've found the other assignment for problem instances Esc 16b, Esc 16c, and Esc 16h.

Keywords :Backward Exchange Strategy; Combination Methods; Forward Exchange Strategy; Quadratic Assignment Problem; Random Point Strategy

## 1. Introduction

The Quadratic assignment problem (QAP) has remained one of the great challenges in combinatorial optimization. It is still considered a computationally nontrivial task to solve modest size problems, say of size  $n = 20$ . The QAPLIB provide a unified testbed for QAP, accessible to the scientific community, and consisted of virtually all QAP instances. In 1957 QAP was introduced by Koopmann and Beckmann as a mathematical model for the location of a set of indivisible economic activities. The QAP however is not only nonlinear but it is not unimodal. As a consequence this problem class has attracted active investigation by numerous researches. An heuristic yielding a good solution seems a more appropriate course of action than attempting an optimal solution, and many of the papers aim at achieving improvements to an initial assignment.

One of the oldest applications of the QAP is the assignment of specialized rooms in a building (Elshafei, 1977). In this case,  $a_{ij}$  is the flow of people that must go from service  $i$  to service  $j$  and  $b_{kl}$  is the time for going from room  $k$  to room  $l$ . A more recent application is the assignment of gates to airplanes in an airport; in this case,  $a_{ij}$  is the number of passengers going from airplane  $i$  to airplane  $j$  (a special-airplane  $||$  is the main entrance of the airport) and  $b_{kl}$  is the walking distance between gates  $k$  and  $l$ .

Even though QAP have investigated over 58 years ago, it remains one of the most inefficient for some problem instances, as we know from QAPLIB report.

Finally, let us mention other applications in imagery (Taillard, 1995), turbine runner balancing (Laporte and Mercure, 1998) and the fact that problems such as the travelling salesman or the linear ordering can be formulated as special QAPs.

## 2. Literature Review

The quadratic assignment problem was one of the first problems solved by metaheuristics methods first conceived in the 1980's. Burkard and Rendl [6] proposed a simulated annealing procedure that was able to find much better solutions than all the previously designed heuristic methods. Six years later, Connolly (1990) proposed an improved annealing scheme. His method is easy to set up, since the user

has to select the number of iterations; and all other parameters are automatically computed. At around the same time, Skorin-Kapov [17] proposed a tabu search. Then, Taillard (1991) proposed a more robust tabu search, with fewer parameters and running  $n$  times faster than the previous implementation. Recently Ahyaningsih and Sitompul (2015) proposed a combined strategy for solving QAP.

Other tabu searches have been proposed, such as the reactive tabu search of Battiti and Tecchioli (1994a). In the same year Battiti and Tecchioli (1994b) compared tabu search techniques with simulated annealing, and the star-shape diversification approach of Sondergeld and Voss (1996).

Genetic algorithms have also been proposed, for instance by Tate and Smith (1995), Misevicius and Rubliauskas (2009), but hybrid approaches, such as those of Fleurent and Ferland (1994), Ahuja et al. (2000), Drezner (2002a, 2002b), provides a good review for QAP.

Another heuristic, GRASP (greedy randomized adaptive search procedure) was proposed by Li et al. (1994). An ant colony system approaches by Taillard, (1998), Gambardella et al., (1999), Stutzle and Hoos, (1999) have been proposed, as well as a scatter search (Cung et al., 1997). Some of these methods have been compared in Taillard (1995) who showed that the efficiency of these methods strongly depends on the problem instance type to which they are applied. 'Heuristic Kelayakan Methods' was proposed by Ahyaningsih (2006).

## 3. The Quadratic Assignment Problem

This is a combinatorial problem of deciding the placement of facilities in specified locations in such a way as to minimize a quadratic objective function. Consider the problem of locating  $n$  facilities in  $n$  given locations. If the flow  $f_{ik}$  between each pair of facility  $i$  and facility  $k$  and the unit transportation cost (or distance)  $d_{jl}$  between locations  $j$  and  $l$  are known, then the problem is defined to be

$$\text{Min } \phi = 1/2 \sum_{i=1}^n \sum_{k=1}^n \sum_{j=1}^n \sum_{l=1}^n f_{ik} d_{jl} x_{ij} x_{kl}$$

$$\text{subject to } \sum_{j=1}^n x_{ij} = 1, \quad i = 1, 2, \dots, n$$

$$\sum_{i=1}^n x_{ij} = 1, \quad j = 1, 2, \dots, n$$

$$0 \leq x_{ij} \leq 1$$

$$x_{ij} \text{ integer}$$

Matrices  $[f_{ik}]$  and  $[d_{jl}]$  are assumed to be symmetric. The assignment variable  $x_{ij}$  has a value 1 if facility  $i$  is at location  $j$ , and has a value 0 otherwise. The constraints reflect the fact that each location can be assigned to only one facility, and each facility can be assigned to only one location.

#### 4. Strategy For Solving Qap

##### 4.1. Random Point Strategy

- Read  $\theta = 10000000$ , matrix  $[f_{ik}]$  dan  $[d_{jl}]$ ,  $n =$  problem dimension and  $ITEM$  as the number of iteration,  $a = 1$  (initial iteration)
- Generate random permutation,  $x_i = \text{randperm}(n)$ ; for every facility  $i, i = 1, 2, \dots, n$ .
- $x_{ij} = 1$  for gen  $x_i = j$ ;  $x_{ij} = 0$  for generate  $x_i \neq j$ ;  $i, j = 1, 2, \dots, n$
- Calculate the objective function value

$$\bar{\theta} = \sum_{i=1}^n \sum_{k=1}^n \sum_{j=1}^n \sum_{l=1}^n f_{ik} d_{jl} x_{ij} x_{kl}$$

- if  $\theta < \bar{\theta}$ , then  $\theta = \theta$ ;  $a = a + 1$
- if  $a < ITEM$ , back to 2)
- STOP

##### 4.2. Forward Exchange Strategy

- 1) Input  $n$  as problem dimension.
- 2) Read flow matrix  $f_{ik}$ , distance matrix  $d_{jl}$ , initial assignment  $x_{ij}$ .
- 3) Calculate

$$\theta = \sum_{i=1}^n \sum_{k=1}^n \sum_{j=1}^n \sum_{l=1}^n f_{ik} d_{jl} x_{ij} x_{kl}$$

- 4) Generate  $x_i = j$  for  $x_{ij} = 1$ ;  $i, j = 1, \dots, n$
- 5)  $a = 1$
- 6)  $b = 1$
- 7)  $c = \text{Gen } x_{i=a}$ ;  $\text{Gen } x_{i=a} = \text{Gen } x_{i=a+b}$ ;  $\text{Gen } x_{i=a+b} = c$
- 8)  $x_{ij} = 1$  for  $\text{Gen } x_i = j$ ,  $x_{ij} = 0$  for  $\text{Gen } x_i \neq j$ ,  $i, j = 1, \dots, n$
- 9) Calculate objective function

$$\bar{\theta} = \sum_{i=1}^n \sum_{k=1}^n \sum_{j=1}^n \sum_{l=1}^n f_{ik} d_{jl} x_{ij} x_{kl}$$

- 10) if  $\bar{\theta} < \theta$  then  $\theta = \bar{\theta}$  go to (14)
- 11)  $c = \text{Gen } x_{j=a+b}$ ;  $\text{Gen } x_{j=a+b} = \text{Gen } x_{j=a}$ ;  $\text{Gen } x_{j=a} = c$
- 12)  $b = b + 1$
- 13) if  $b \leq n - a$  go to 7)
- 14)  $a = a + 1$
- 15) if  $a \leq n$  go to 6)
- 16) STOP

4.3. 4.3. Backward Exchange Strategy

- 1) Input  $n$  as problem dimension
- 2) Read flow matrix  $f_{ik}$ , distance matrix  $d_{jk}$ , initial assignment  $x_{ij}$
- 3) Calculate  $\theta = \sum_{i=1}^n \sum_{k=1}^n \sum_{j=1}^n f_{ik} d_{jk} x_{ij} x_{ik}$
- 4) Gen  $x_{ij}=j$ , for  $x_{ij}=1 ; i,j = 1, \dots, n$
- 5)  $a = n$
- 6)  $b = n$
- 7)  $c = \text{Gen } x_{i+a}, \text{ Gen } x_{i+a} = \text{Gen } x_{i+b} ; \text{ Gen } x_{i+b} = c$
- 8)  $x_{ij}=1$  for Gen  $x_{i=j}, x_{ij}=0$  for Gen  $x_{i \neq j}, i,j=1, \dots, n$
- 9) Calculate objective function

$$\bar{\theta} = \sum_{i=1}^n \sum_{k=1}^n \sum_{j=1}^n f_{ik} d_{jk} x_{ij} x_{ik}$$

- 10) if  $\bar{\theta} < \theta$  then  $\theta = \bar{\theta}$  go to 14)
- 11)  $c = \text{Gen } x_{i+a+b}, \text{ Gen } x_{i+a+b} = \text{Gen } x_{i+a}, \text{ Gen } x_{i+a} = c$
- 12)  $b = b-1$
- 13) if  $b \geq a + 1$  go to 7)
- 14)  $a = a-1$
- 15) if  $a > 1$  go to 6)
- 16) STOP

5. Computational Experience

The program was made by MATLAB version 7.9.0.529 (R2009b) 32-bit (win32). To run the program we use laptop with processor Intel (R) core (TM) i3-3217U, CPU 1.80 GHz RAM 4.00 GB.

5.1. Esc 16b, Esc 16c, Esc 16h Problem Instances

The  $16 \times 16$  QAP problem adopted from Eschermann and H. J. Wunderlich (1990). To solve the problem we use combination methods, that combines random point strategy, forward exchange strategy and backward exchange strategy, then execute in a numbers of iteration. The result can be seen in table 1 and table 2 below.

Table 1: The Search Table for Esc16 Using Combination Methods

Problem Instance	Number of Iteration	Objective Value	Permutation	Running Time
Esc 16b	500	292 (opt)	2 3 16 9 7 13 1 5 15 11 14 4 12 8 10 6	371.654879
Esc 16c	500	160 (opt)	5 16 15 8 7 6 11 3 4 9 2 10 12 14 1 13	270.088915
Esc 16h	500	996 (opt)	16 15 8 5 14 9 10 6 1 2 13 4 3 11 12 7	326.956387

Table 2 : The Comparison of Permutation Result

Problem Instance	Objective Value	Permutation with Combination Methods	Permutation from QAPLIB
Esc 16b	292 (opt)	2 3 16 9 7 13 1 5 15 11 14 4 12 8 10 6	6 3 7 5 13 1 15 2 4 11 9 14 10 12 8 16

Esc 16c	160 (opt)	5 16 15 8 7 6 11 3 4 9 2 10 12 14 1 13	11 14 10 16 12 8 9 3 13 6 5 7 15 2 1 4
Esc 16h	996 (opt)	16 15 8 5 14 9 10 6 1 2 13 4 3 11 12 7	13 9 10 15 3 11 4 16 12 7 8 5 6 2 1 14

## 6. Conclusion

In this research We've found the other assignment for problem instances Esc16b, Esc16c, and Esc16h from QAPLIB. Both of the permutation have same objective value.

The procedure described here has proved successful in obtaining integer feasible solution to the Quadratic Assignment Problem in relatively short computing times as can be seen from the number iteration needed and the running time.

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